

# Package ‘crandep’

December 6, 2024

**Title** Network Analysis of Dependencies of CRAN Packages

**Version** 0.3.11

**Description** The dependencies of CRAN packages can be analysed in a network fashion. For each package we can obtain the packages that it depends, imports, suggests, etc. By iterating this procedure over a number of packages, we can build, visualise, and analyse the dependency network, enabling us to have a bird's-eye view of the CRAN ecosystem. One aspect of interest is the number of reverse dependencies of the packages, or equivalently the in-degree distribution of the dependency network. This can be fitted by the power law and/or an extreme value mixture distribution <[doi:10.1111/stan.12355](https://doi.org/10.1111/stan.12355)>, of which functions are provided.

**Depends** R (>= 3.4)

**License** GPL (>= 2)

**URL** <https://github.com/clement-lee/crandep>

**BugReports** <https://github.com/clement-lee/crandep/issues>

**Encoding** UTF-8

**LazyData** true

**Imports** stringr, dplyr, igraph, Rcpp, pracma, gsl, utils, tools, stats

**Suggests** ggplot2, tibble, visNetwork, knitr, rmarkdown

**RoxygenNote** 7.2.3

**NeedsCompilation** yes

**SystemRequirements** pandoc (>= 1.12.3) - <http://pandoc.org>

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**VignetteBuilder** knitr

**LinkingTo** Rcpp, RcppArmadillo

**Repository** CRAN

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chi_citations	<i>Citation network of CHI papers</i>
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## Description

A dataset containing the citations of conference papers of the ACM Conference on Human Factors in Computing Systems (CHI) from 1981 to 2019, obtained from the ACM digital library. The resulting citation network can be compared to the dependencies network of CRAN packages, in terms of network-related characteristics, such as degree distribution and sparsity.

## Usage

chi\_citations

**Format**

A data from with 21951 rows and 4 variables:

**from** the unique identifier (in the digital library) of the paper that cites other papers

**to** the unique identifier of the paper that is being cited

**year\_from** the publication year of the citing paper

**year\_to** the publication year of the cited paper

**Source**

<https://dl.acm.org/conference/chi>

**See Also**

[cran\\_dependencies](#)

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cran\_dependencies      *Dependencies of CRAN packages*

---

**Description**

A dataset containing the dependencies of various types (Imports, Depends, Suggests, LinkingTo, and their reverse counterparts) of more than 14600 packages available on CRAN as of 2020-05-09.

**Usage**

```
cran_dependencies
```

**Format**

A data frame with 211408 rows and 4 variables:

**from** the name of the package that introduced the dependencies

**to** the name of the package that the dependency is directed towards

**type** the type of dependency, which can take the follow values (all in lowercase): "depends", "imports", "linking to", "suggests"

**reverse** a boolean representing whether the dependency is a reverse one (TRUE) or a forward one (FALSE)

**Source**

The CRAN pages of all the packages available on <https://cran.r-project.org>

**See Also**

[chi\\_citations](#)

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df_to_graph	<i>Construct the giant component of the network from two data frames</i>
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---

### Description

Construct the giant component of the network from two data frames

### Usage

```
df_to_graph(edgelist, nodelist = NULL, gc = TRUE)
```

### Arguments

edgelist	A data frame with (at least) two columns: from and to
nodelist	NULL, or a data frame with (at least) one column: name, that contains the nodes to include
gc	Boolean, if 'TRUE' (default) then the giant component is extracted, if 'FALSE' then the whole graph is returned

### Value

An igraph object & a connected graph if gc is 'TRUE'

### Examples

```
from <- c("1", "2", "4")
to <- c("2", "3", "5")
edges <- data.frame(from = from, to = to, stringsAsFactors = FALSE)
nodes <- data.frame(name = c("1", "2", "3", "4", "5"), stringsAsFactors = FALSE)
df_to_graph(edges, nodes)
```

---

dmix2	<i>Probability mass function (PMF) of 2-component discrete extreme value mixture distribution</i>
-------	---

---

### Description

dmix2 returns the PMF at x for the 2-component discrete extreme value mixture distribution. The components below and above the threshold u are the (truncated) Zipf-polylog(alpha,theta) and the generalised Pareto(shape, sigma) distributions, respectively.

### Usage

```
dmix2(x, u, alpha, theta, shape, sigma, phiu)
```

**Arguments**

x	Vector of positive integers
u	Positive integer representing the threshold
alpha	Real number, first parameter of the Zipf-polylog component
theta	Real number in (0, 1], second parameter of the Zipf-polylog component
shape	Real number, shape parameter of the generalised Pareto component
sigma	Real number, scale parameter of the generalised Pareto component
phiu	Real number in (0, 1), exceedance rate of the threshold u

**Value**

A numeric vector of the same length as x

**See Also**

[Smix2](#) for the corresponding survival function, [dpol](#) and [dmix3](#) for the PMFs of the Zipf-polylog and 3-component discrete extreme value mixture distributions, respectively.

---

dmix3	<i>Probability mass function (PMF) of 3-component discrete extreme value mixture distribution</i>
-------	---

---

**Description**

dmix3 returns the PMF at x for the 3-component discrete extreme value mixture distribution. The component below v is the (truncated) Zipf-polylog(alpha1,theta1) distribution, between v & u the (truncated) Zipf-polylog(alpha2,theta2) distribution, and above u the generalised Pareto(shape, sigma) distribution.

**Usage**

```
dmix3(x, v, u, alpha1, theta1, alpha2, theta2, shape, sigma, phi1, phi2, phiu)
```

**Arguments**

x	Vector of positive integers
v	Positive integer representing the lower threshold
u	Positive integer representing the upper threshold
alpha1	Real number, first parameter of the Zipf-polylog component below v
theta1	Real number in (0, 1], second parameter of the Zipf-polylog component below v
alpha2	Real number, first parameter of the Zipf-polylog component between v & u
theta2	Real number in (0, 1], second parameter of the Zipf-polylog component between v & u

shape	Real number, shape parameter of the generalised Pareto component
sigma	Real number, scale parameter of the generalised Pareto component
phi1	Real number in (0, 1), proportion of values below v
phi2	Real number in (0, 1), proportion of values between v & u
phiu	Real number in (0, 1), exceedance rate of the threshold u

**Value**

A numeric vector of the same length as x

**See Also**

[Smix3](#) for the corresponding survival function, [dpol](#) and [dmix2](#) for the PMFs of the Zipf-polylog and 2-component discrete extreme value mixture distributions, respectively.

---

dpol	<i>Probability mass function (PMF) of Zipf-polylog distribution</i>
------	---

---

**Description**

dpol returns the PMF at x for the Zipf-polylog distribution with parameters (alpha, theta). The distribution is reduced to the discrete power law when theta = 1.

**Usage**

```
dpol(x, alpha, theta, x_max = 100000L)
```

**Arguments**

x	Vector of positive integers
alpha	Real number greater than 1
theta	Real number in (0, 1]
x_max	Scalar (default 100000), positive integer limit for computing the normalising constant

**Details**

The PMF is proportional to  $x^{-(\alpha)} * \theta^x$ . It is normalised in order to be a proper PMF.

**Value**

A numeric vector of the same length as x

**See Also**

[Spol](#) for the corresponding survival function, [dmix2](#) and [dmix3](#) for the PMFs of the 2-component and 3-component discrete extreme value mixture distributions, respectively.

**Examples**

```
dpo1(c(1,2,3,4,5), 1.2, 0.5)
```

---

get\_dep

*Multiple types of dependencies*

---

**Description**

get\_dep returns a data frame of multiple types of dependencies of a package

**Usage**

```
get_dep(name, type, reverse = FALSE)
```

**Arguments**

name	String, name of the package
type	A character vector that contains one or more of the following dependency words: "Depends", "Imports", "LinkingTo", "Suggests", "Enhances", up to letter case and space replaced by underscore. Alternatively, if 'type = "all"', all five dependencies will be obtained.
reverse	Boolean, whether forward (FALSE, default) or reverse (TRUE) dependencies are requested.

**Value**

A data frame of dependencies

**See Also**

[get\\_dep\\_all\\_packages](#) for the dependencies of all CRAN packages, and [get\\_graph\\_all\\_packages](#) for obtaining directly a network of dependencies as an igraph object

**Examples**

```
get_dep("dplyr", c("Imports", "Depends"))  
get_dep("MASS", c("Suggests", "Depends", "Imports"), TRUE)
```

---

get\_dep\_all\_packages *Dependencies of all CRAN packages*

---

**Description**

get\_dep\_all\_packages returns the data frame of dependencies of all packages currently available on CRAN.

**Usage**

```
get_dep_all_packages()
```

**Value**

A data frame of dependencies of all CRAN packages

**See Also**

[get\\_dep](#) for multiple types of dependencies, and [get\\_graph\\_all\\_packages](#) for obtaining directly a network of dependencies as an igraph object

**Examples**

```
## Not run:  
df.cran <- get_dep_all_packages()  
  
## End(Not run)
```

---

get\_graph\_all\_packages

*Graph of dependencies of all CRAN packages*

---

**Description**

get\_graph\_all\_packages returns an igraph object representing the network of one or more types of dependencies of all CRAN packages.

**Usage**

```
get_graph_all_packages(type, gc = TRUE, reverse = FALSE)
```



**Arguments**

type	A character vector that contains one or more of the following dependency words: "Depends", "Imports", "LinkingTo", "Suggests", "Enhances", up to letter case and space replaced by underscore. Alternatively, if 'types = "all"', all five dependencies will be obtained.
gc	Boolean, if 'TRUE' (default) then the giant component is extracted, if 'FALSE' then the whole graph is returned
reverse	Boolean, whether forward (FALSE, default) or reverse (TRUE) dependencies are requested.

**Value**

An igraph object & a connected graph if gc is 'TRUE'

**See Also**

[get\\_dep\\_all\\_packages](#) for the dependencies of all CRAN packages in a data frame, and [df\\_to\\_graph](#) for constructing the giant component of the network from two data frames

**Examples**

```
## Not run:
g0.cran.depends <- get_graph_all_packages("depends")
g1.cran.imports <- get_graph_all_packages("imports", reverse = TRUE)

## End(Not run)
```

---

marg_pow	<i>Marginal log-likelihood and posterior density of discrete power law via numerical integration</i>
----------	--

---

**Description**

Marginal log-likelihood and posterior density of discrete power law via numerical integration

**Usage**

```
marg_pow(df, lower, upper, m_alpha = 0, s_alpha = 10, by = 0.001)
```

**Arguments**

df	A data frame with at least two columns, x & count
lower	Real number greater than 1, lower limit for numerical integration
upper	Real number greater than lower, upper limit for numerical integration
m_alpha	Real number (default 0.0), mean of the prior normal distribution for alpha

s_alpha	Positive real number (default 10.0), standard deviation of the prior normal distribution for alpha
by	Positive real number, the width of subintervals between lower and upper, for numerical integration and posterior density evaluation

### Value

A list: log\_marginal is the marginal log-likelihood, posterior is a data frame of non-zero posterior densities

---

mcmc\_mix1

---

*Markov chain Monte Carlo for TZP-power-law mixture*


---

### Description

mcmc\_mix1 returns the posterior samples of the parameters, for fitting the TZP-power-law mixture distribution. The samples are obtained using Markov chain Monte Carlo (MCMC).

### Usage

```
mcmc_mix1(
  x,
  count,
  u_set,
  u,
  alpha1,
  theta1,
  alpha2,
  a_psiu,
  b_psiu,
  a_alpha1,
  b_alpha1,
  a_theta1,
  b_theta1,
  a_alpha2,
  b_alpha2,
  positive,
  iter,
  thin,
  burn,
  freq,
  invt,
  mc3_or_marg,
  x_max
)
```

**Arguments**

<code>x</code>	Vector of the unique values (positive integers) of the data
<code>count</code>	Vector of the same length as <code>x</code> that contains the counts of each unique value in the full data, which is essentially <code>rep(x, count)</code>
<code>u_set</code>	Positive integer vector of the values <code>u</code> will be sampled from
<code>u</code>	Positive integer, initial value of the threshold
<code>alpha1</code>	Real number, initial value of the parameter
<code>theta1</code>	Real number in $(0, 1]$ , initial value of the parameter
<code>alpha2</code>	Real number greater than 1, initial value of the parameter
<code>a_psiu, b_psiu, a_alpha1, b_alpha1, a_theta1, b_theta1, a_alpha2, b_alpha2</code>	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
<code>positive</code>	Boolean, is <code>alpha</code> positive (TRUE) or unbounded (FALSE)?
<code>iter</code>	Positive integer representing the length of the MCMC output
<code>thin</code>	Positive integer representing the thinning in the MCMC
<code>burn</code>	Non-negative integer representing the burn-in of the MCMC
<code>freq</code>	Positive integer representing the frequency of the sampled values being printed
<code>invt</code>	Vector of the inverse temperatures for Metropolis-coupled MCMC
<code>mc3_or_marg</code>	Boolean, is <code>invt</code> for parallel tempering / Metropolis-coupled MCMC (TRUE, default) or marginal likelihood via power posterior (FALSE)?
<code>x_max</code>	Scalar, positive integer limit for computing the normalising constant

**Details**

In the MCMC, a componentwise Metropolis-Hastings algorithm is used. The threshold `u` is treated as a parameter and therefore sampled. The hyperparameters are used in the following priors: `u` is such that the implied unique exceedance probability  $\text{psiu} \sim \text{Uniform}(a\_psi, b\_psi)$ ;  $\text{alpha1} \sim \text{Normal}(\text{mean} = a\_alpha1, \text{sd} = b\_alpha1)$ ;  $\text{theta1} \sim \text{Beta}(a\_theta1, b\_theta1)$ ;  $\text{alpha2} \sim \text{Normal}(\text{mean} = a\_alpha2, \text{sd} = b\_alpha2)$

**Value**

A list: `$pars` is a data frame of `iter` rows of the MCMC samples, `$fitted` is a data frame of `length(x)` rows with the fitted values, amongst other quantities related to the MCMC

**See Also**

`mcmc_pol`, `mcmc_mix2` and `mcmc_mix3` for MCMC for the Zipf-polylog, and 2-component and 3-component discrete extreme value mixture distributions, respectively.

---

mcmc\_mix1\_wrapper      *Wrapper of mcmc\_mix1*

---

## Description

Wrapper of mcmc\_mix1

## Usage

```
mcmc_mix1_wrapper(
  df,
  seed,
  u_max = 2000L,
  log_diff_max = 11,
  a_psiu = 0.1,
  b_psiu = 0.9,
  m_alpha1 = 0,
  s_alpha1 = 10,
  a_theta1 = 1,
  b_theta1 = 1,
  m_alpha2 = 0,
  s_alpha2 = 10,
  positive = FALSE,
  iter = 20000L,
  thin = 1L,
  burn = 10000L,
  freq = 100L,
  invts = 1,
  mc3_or_marg = TRUE,
  x_max = 1e+05
)
```

## Arguments

df	A data frame with at least two columns, x & count
seed	Integer for set.seed
u_max	Scalar (default 2000), positive integer for the maximum threshold to be passed to obtain_u_set_mix1
log_diff_max	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - log_diff_max will be kept
a_psiu, b_psiu, m_alpha1, s_alpha1, a_theta1, b_theta1, m_alpha2, s_alpha2	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
positive	Boolean, is alpha1 positive (TRUE) or unbounded (FALSE)?

iter	Positive integer representing the length of the MCMC output
thin	Positive integer representing the thinning in the MCMC
burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invts	Vector of the inverse temperatures for Metropolis-coupled MCMC (if mc3_or_marg = TRUE) or power posterior (if mc3_or_marg = FALSE)
mc3_or_marg	Boolean, is Metropolis-coupled MCMC to be used? Ignored if invts = c(1.0)
x_max	Scalar (default 100000), positive integer limit for computing the normalising constant

**Value**

A list returned by `mcmc_mix1`

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mcmc_mix2	<i>Markov chain Monte Carlo for 2-component discrete extreme value mixture distribution</i>
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---

**Description**

`mcmc_mix2` returns the posterior samples of the parameters, for fitting the 2-component discrete extreme value mixture distribution. The samples are obtained using Markov chain Monte Carlo (MCMC).

**Usage**

```
mcmc_mix2(
  x,
  count,
  u_set,
  u,
  alpha,
  theta,
  shape,
  sigma,
  a_psiu,
  b_psiu,
  a_alpha,
  b_alpha,
  a_theta,
  b_theta,
  m_shape,
  s_shape,
  a_sigma,
  b_sigma,
```

```

    positive,
    a_pseudo,
    b_pseudo,
    pr_power,
    iter,
    thin,
    burn,
    freq,
    invt,
    mc3_or_marg = TRUE,
    constrained = FALSE
)

```

### Arguments

<code>x</code>	Vector of the unique values (positive integers) of the data
<code>count</code>	Vector of the same length as <code>x</code> that contains the counts of each unique value in the full data, which is essentially <code>rep(x, count)</code>
<code>u_set</code>	Positive integer vector of the values <code>u</code> will be sampled from
<code>u</code>	Positive integer, initial value of the threshold
<code>alpha</code>	Real number greater than 1, initial value of the parameter
<code>theta</code>	Real number in (0, 1], initial value of the parameter
<code>shape</code>	Real number, initial value of the parameter
<code>sigma</code>	Positive real number, initial value of the parameter
<code>a_psiu, b_psiu, a_alpha, b_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma</code>	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
<code>positive</code>	Boolean, is <code>alpha</code> positive (TRUE) or unbounded (FALSE)? Ignored if <code>constrained</code> is TRUE
<code>a_pseudo</code>	Positive real number, first parameter of the pseudoprior beta distribution for <code>theta</code> in model selection; ignored if <code>pr_power</code> = 1.0
<code>b_pseudo</code>	Positive real number, second parameter of the pseudoprior beta distribution for <code>theta</code> in model selection; ignored if <code>pr_power</code> = 1.0
<code>pr_power</code>	Real number in [0, 1], prior probability of the discrete power law (below <code>u</code> ). Overridden if <code>constrained</code> is TRUE
<code>iter</code>	Positive integer representing the length of the MCMC output
<code>thin</code>	Positive integer representing the thinning in the MCMC
<code>burn</code>	Non-negative integer representing the burn-in of the MCMC
<code>freq</code>	Positive integer representing the frequency of the sampled values being printed
<code>invt</code>	Vector of the inverse temperatures for Metropolis-coupled MCMC
<code>mc3_or_marg</code>	Boolean, is <code>invt</code> for parallel tempering / Metropolis-coupled MCMC (TRUE, default) or marginal likelihood via power posterior (FALSE)?

`constrained` Boolean, are alpha & shape constrained such that  $1/\text{shape}+1 > \alpha > 1$  with the powerlaw assumed in the body & "continuity" at the threshold  $u$  (TRUE), or is there no constraint between alpha & shape, with the former governed by positive, and no powerlaw and continuity enforced (FALSE, default)?

### Details

In the MCMC, a componentwise Metropolis-Hastings algorithm is used. The threshold  $u$  is treated as a parameter and therefore sampled. The hyperparameters are used in the following priors:  $u$  is such that the implied unique exceedance probability  $\text{psiu} \sim \text{Uniform}(a_{\text{psiu}}, b_{\text{psiu}})$ ;  $\alpha \sim \text{Normal}(\text{mean} = a_{\alpha}, \text{sd} = b_{\alpha})$ ;  $\theta \sim \text{Beta}(a_{\theta}, b_{\theta})$ ;  $\text{shape} \sim \text{Normal}(\text{mean} = m_{\text{shape}}, \text{sd} = s_{\text{shape}})$ ;  $\sigma \sim \text{Gamma}(a_{\sigma}, \text{scale} = b_{\sigma})$ . If  $\text{pr\_power} = 1.0$ , the discrete power law (below  $u$ ) is assumed, and the samples of  $\theta$  will be all 1.0. If  $\text{pr\_power}$  is in (0.0, 1.0), model selection between the polylog distribution and the discrete power law will be performed within the MCMC.

### Value

A list: `$pars` is a data frame of iter rows of the MCMC samples, `$fitted` is a data frame of  $\text{length}(x)$  rows with the fitted values, amongst other quantities related to the MCMC

### See Also

[mcmc\\_pol](#) and [mcmc\\_mix3](#) for MCMC for the Zipf-polylog and 3-component discrete extreme value mixture distributions, respectively.

---

mcmc_mix2_wrapper	<i>Wrapper of mcmc_mix2</i>
-------------------	-----------------------------

---

### Description

Wrapper of `mcmc_mix2`

### Usage

```
mcmc_mix2_wrapper(
  df,
  seed,
  u_max = 2000L,
  log_diff_max = 11,
  a_psiu = 0.001,
  b_psiu = 0.9,
  m_alpha = 0,
  s_alpha = 10,
  a_theta = 1,
  b_theta = 1,
  m_shape = 0,
  s_shape = 10,
```

```

a_sigma = 1,
b_sigma = 0.01,
a_pseudo = 10,
b_pseudo = 1,
pr_power = 0.5,
positive = FALSE,
iter = 20000L,
thin = 20L,
burn = 10000L,
freq = 1000L,
invts = 1,
mc3_or_marg = TRUE,
constrained = FALSE
)

```

### Arguments

df	A data frame with at least two columns, x & count
seed	Integer for set.seed
u_max	Scalar (default 2000), positive integer for the maximum threshold to be passed to obtain_u_set_mix2
log_diff_max	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - log_diff_max will be kept
a_psiu, b_psiu, m_alpha, s_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
a_pseudo	Positive real number, first parameter of the pseudoprior beta distribution for theta in model selection; ignored if pr_power = 1.0
b_pseudo	Positive real number, second parameter of the pseudoprior beta distribution for theta in model selection; ignored if pr_power = 1.0
pr_power	Real number in [0, 1], prior probability of the discrete power law (below u)
positive	Boolean, is alpha positive (TRUE) or unbounded (FALSE)?
iter	Positive integer representing the length of the MCMC output
thin	Positive integer representing the thinning in the MCMC
burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invts	Vector of the inverse temperatures for Metropolis-coupled MCMC (if mc3_or_marg = TRUE) or power posterior (if mc3_or_marg = FALSE)
mc3_or_marg	Boolean, is Metropolis-coupled MCMC to be used? Ignored if invts = c(1.0)
constrained	Boolean, are alpha & shape constrained such that $1/\text{shape}+1 > \alpha > 1$ with the powerlaw assumed in the body & "continuity" at the threshold u (TRUE), or is there no constraint between alpha & shape, with the former governed by positive, and no powerlaw and continuity enforced (FALSE, default)?



**Value**

A list returned by mcmc\_mix2

---

mcmc_mix3	<i>Markov chain Monte Carlo for 3-component discrete extreme value mixture distribution</i>
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---

**Description**

mcmc\_mix3 returns the posterior samples of the parameters, for fitting the 3-component discrete extreme value mixture distribution. The samples are obtained using Markov chain Monte Carlo (MCMC).

**Usage**

```
mcmc_mix3(  
  x,  
  count,  
  v_set,  
  u_set,  
  v,  
  u,  
  alpha1,  
  theta1,  
  alpha2,  
  theta2,  
  shape,  
  sigma,  
  a_psi1,  
  a_psi2,  
  a_psiu,  
  b_psiu,  
  a_alpha1,  
  b_alpha1,  
  a_theta1,  
  b_theta1,  
  a_alpha2,  
  b_alpha2,  
  a_theta2,  
  b_theta2,  
  m_shape,  
  s_shape,  
  a_sigma,  
  b_sigma,  
  powerlaw1,  
  positive1,  
  positive2,
```

```

    a_pseudo,
    b_pseudo,
    pr_power2,
    iter,
    thin,
    burn,
    freq,
    invt,
    mc3_or_marg = TRUE
)

```

### Arguments

<code>x</code>	Vector of the unique values (positive integers) of the data
<code>count</code>	Vector of the same length as <code>x</code> that contains the counts of each unique value in the full data, which is essentially <code>rep(x, count)</code>
<code>v_set</code>	Positive integer vector of the values <code>v</code> will be sampled from
<code>u_set</code>	Positive integer vector of the values <code>u</code> will be sampled from
<code>v</code>	Positive integer, initial value of the lower threshold
<code>u</code>	Positive integer, initial value of the upper threshold
<code>alpha1</code>	Real number greater than 1, initial value of the parameter
<code>theta1</code>	Real number in (0, 1], initial value of the parameter
<code>alpha2</code>	Real number greater than 1, initial value of the parameter
<code>theta2</code>	Real number in (0, 1], initial value of the parameter
<code>shape</code>	Real number, initial value of the parameter
<code>sigma</code>	Positive real number, initial value of the parameter
<code>a_psi1, a_psi2, a_psiu, b_psiu, a_alpha1, b_alpha1, a_theta1, b_theta1, a_alpha2, b_alpha2, a_theta2, b_theta2, m_shape, s_shape, a_sigma, b_sigma</code>	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
<code>powerlaw1</code>	Boolean, is the discrete power law assumed for below <code>v</code> ?
<code>positive1</code>	Boolean, is <code>alpha1</code> positive (TRUE) or unbounded (FALSE)?
<code>positive2</code>	Boolean, is <code>alpha2</code> positive (TRUE) or unbounded (FALSE)?
<code>a_pseudo</code>	Positive real number, first parameter of the pseudoprior beta distribution for <code>theta2</code> in model selection; ignored if <code>pr_power2 = 1.0</code>
<code>b_pseudo</code>	Positive real number, second parameter of the pseudoprior beta distribution for <code>theta2</code> in model selection; ignored if <code>pr_power2 = 1.0</code>
<code>pr_power2</code>	Real number in [0, 1], prior probability of the discrete power law (between <code>v</code> and <code>u</code> )
<code>iter</code>	Positive integer representing the length of the MCMC output
<code>thin</code>	Positive integer representing the thinning in the MCMC

burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invt	Vector of the inverse temperatures for Metropolis-coupled MCMC
mc3_or_marg	Boolean, is invt for parallel tempering / Metropolis-coupled MCMC (TRUE, default) or marginal likelihood via power posterior (FALSE)?

### Details

In the MCMC, a componentwise Metropolis-Hastings algorithm is used. The thresholds  $v$  and  $u$  are treated as parameters and therefore sampled. The hyperparameters are used in the following priors:  $\text{psi1} / (1.0 - \text{psiu}) \sim \text{Beta}(a_{\text{psi1}}, a_{\text{psi2}})$ ;  $u$  is such that the implied unique exceedance probability  $\text{psiu} \sim \text{Uniform}(a_{\text{psi}}, b_{\text{psi}})$ ;  $\alpha1 \sim \text{Normal}(\text{mean} = a_{\alpha1}, \text{sd} = b_{\alpha1})$ ;  $\theta1 \sim \text{Beta}(a_{\theta1}, b_{\theta1})$ ;  $\alpha2 \sim \text{Normal}(\text{mean} = a_{\alpha2}, \text{sd} = b_{\alpha2})$ ;  $\theta2 \sim \text{Beta}(a_{\theta2}, b_{\theta2})$ ;  $\text{shape} \sim \text{Normal}(\text{mean} = m_{\text{shape}}, \text{sd} = s_{\text{shape}})$ ;  $\sigma \sim \text{Gamma}(a_{\sigma}, \text{scale} = b_{\sigma})$ . If  $\text{pr\_power2} = 1.0$ , the discrete power law (between  $v$  and  $u$ ) is assumed, and the samples of  $\theta2$  will be all 1.0. If  $\text{pr\_power2}$  is in  $(0.0, 1.0)$ , model selection between the polylog distribution and the discrete power law will be performed within the MCMC.

### Value

A list:  $\$pars$  is a data frame of iter rows of the MCMC samples,  $\$fitted$  is a data frame of  $\text{length}(x)$  rows with the fitted values, amongst other quantities related to the MCMC

### See Also

[mcmc\\_pol](#) and [mcmc\\_mix2](#) for MCMC for the Zipf-polylog and 2-component discrete extreme value mixture distributions, respectively.

---

mcmc_mix3_wrapper	<i>Wrapper of mcmc_mix3</i>
-------------------	-----------------------------

---

### Description

Wrapper of `mcmc_mix3`

### Usage

```
mcmc_mix3_wrapper(
  df,
  seed,
  v_max = 100L,
  u_max = 2000L,
  log_diff_max = 11,
  a_psi1 = 1,
  a_psi2 = 1,
  a_psiu = 0.001,
  b_psiu = 0.9,
```

```

m_alpha = 0,
s_alpha = 10,
a_theta = 1,
b_theta = 1,
m_shape = 0,
s_shape = 10,
a_sigma = 1,
b_sigma = 0.01,
a_pseudo = 10,
b_pseudo = 1,
pr_power2 = 0.5,
powerlaw1 = FALSE,
positive1 = FALSE,
positive2 = TRUE,
iter = 20000L,
thin = 20L,
burn = 10000L,
freq = 1000L,
invts = 1,
mc3_or_marg = TRUE
)

```

### Arguments

df	A data frame with at least two columns, x & count
seed	Integer for set.seed
v_max	Scalar (default 100), positive integer for the maximum lower threshold to be passed to obtain_u_set_mix3
u_max	Scalar (default 2000), positive integer for the maximum upper threshold to be passed to obtain_u_set_mix3
log_diff_max	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - log_diff_max will be kept
a_psi1, a_psi2, a_psiu, b_psiu, m_alpha, s_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma	Scalars, real numbers representing the hyperparameters of the prior distributions for the respective parameters. See details for the specification of the priors.
a_pseudo	Positive real number, first parameter of the pseudoprior beta distribution for theta2 in model selection; ignored if pr_power2 = 1.0
b_pseudo	Positive real number, second parameter of the pseudoprior beta distribution for theta2 in model selection; ignored if pr_power2 = 1.0
pr_power2	Real number in [0, 1], prior probability of the discrete power law (between v and u)
powerlaw1	Boolean, is the discrete power law assumed for below v?
positive1	Boolean, is alpha1 positive (TRUE) or unbounded (FALSE)?
positive2	Boolean, is alpha2 positive (TRUE) or unbounded (FALSE)?

iter	Positive integer representing the length of the MCMC output
thin	Positive integer representing the thinning in the MCMC
burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invt	Vector of the inverse temperatures for Metropolis-coupled MCMC (if mc3_or_marg = TRUE) or power posterior (if mc3_or_marg = FALSE)
mc3_or_marg	Boolean, is Metropolis-coupled MCMC to be used? Ignored if invts = c(1.0)

**Value**

A list returned by `mcmc_mix3`

---

mcmc_pol	<i>Markov chain Monte Carlo for Zipf-polylog distribution</i>
----------	---

---

**Description**

`mcmc_pol` returns the samples from the posterior of alpha and theta, for fitting the Zipf-polylog distribution to the data `x`. The samples are obtained using Markov chain Monte Carlo (MCMC). In the MCMC, a Metropolis-Hastings algorithm is used.

**Usage**

```
mcmc_pol(
  x,
  count,
  alpha,
  theta,
  a_alpha,
  b_alpha,
  a_theta,
  b_theta,
  a_pseudo,
  b_pseudo,
  pr_power,
  iter,
  thin,
  burn,
  freq,
  invt,
  mc3_or_marg,
  x_max
)
```

**Arguments**

x	Vector of the unique values (positive integers) of the data
count	Vector of the same length as x that contains the counts of each unique value in the full data, which is essentially <code>rep(x, count)</code>
alpha	Real number greater than 1, initial value of the parameter
theta	Real number in (0, 1], initial value of the parameter
a_alpha	Real number, mean of the prior normal distribution for alpha
b_alpha	Positive real number, standard deviation of the prior normal distribution for alpha
a_theta	Positive real number, first parameter of the prior beta distribution for theta; ignored if <code>pr_power = 1.0</code>
b_theta	Positive real number, second parameter of the prior beta distribution for theta; ignored if <code>pr_power = 1.0</code>
a_pseudo	Positive real number, first parameter of the pseudoprior beta distribution for theta in model selection; ignored if <code>pr_power = 1.0</code>
b_pseudo	Positive real number, second parameter of the pseudoprior beta distribution for theta in model selection; ignored if <code>pr_power = 1.0</code>
pr_power	Real number in [0, 1], prior probability of the discrete power law
iter	Positive integer representing the length of the MCMC output
thin	Positive integer representing the thinning in the MCMC
burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invt	Vector of the inverse temperatures for Metropolis-coupled MCMC
mc3_or_marg	Boolean, is <code>invt</code> for parallel tempering / Metropolis-coupled MCMC (TRUE, default) or marginal likelihood via power posterior (FALSE)?
x_max	Scalar, positive integer limit for computing the normalising constant

**Value**

A list: `$pars` is a data frame of `iter` rows of the MCMC samples, `$fitted` is a data frame of `length(x)` rows with the fitted values, amongst other quantities related to the MCMC

**See Also**

[mcmc\\_mix2](#) and [mcmc\\_mix3](#) for MCMC for the 2-component and 3-component discrete extreme value mixture distributions, respectively.

---

mcmc_pol_wrapper	<i>Wrapper of mcmc_pol</i>
------------------	----------------------------

---

### Description

Wrapper of mcmc\_pol

### Usage

```
mcmc_pol_wrapper(
  df,
  seed,
  alpha_init = 1.5,
  theta_init = 0.5,
  m_alpha = 0,
  s_alpha = 10,
  a_theta = 1,
  b_theta = 1,
  a_pseudo = 10,
  b_pseudo = 1,
  pr_power = 0.5,
  iter = 20000L,
  thin = 20L,
  burn = 100000L,
  freq = 1000L,
  invts = 1,
  mc3_or_marg = TRUE,
  x_max = 1e+05
)
```

### Arguments

df	A data frame with at least two columns, x & count
seed	Integer for set.seed
alpha_init	Real number greater than 1, initial value of the parameter
theta_init	Real number in (0, 1], initial value of the parameter
m_alpha	Real number, mean of the prior normal distribution for alpha
s_alpha	Positive real number, standard deviation of the prior normal distribution for alpha
a_theta	Positive real number, first parameter of the prior beta distribution for theta; ignored if pr_power = 1.0
b_theta	Positive real number, second parameter of the prior beta distribution for theta; ignored if pr_power = 1.0
a_pseudo	Positive real number, first parameter of the pseudoprior beta distribution for theta in model selection; ignored if pr_power = 1.0

b_pseudo	Positive real number, second parameter of the pseudoprior beta distribution for theta in model selection; ignored if pr_power = 1.0
pr_power	Real number in [0, 1], prior probability of the discrete power law
iter	Positive integer representing the length of the MCMC output
thin	Positive integer representing the thinning in the MCMC
burn	Non-negative integer representing the burn-in of the MCMC
freq	Positive integer representing the frequency of the sampled values being printed
invts	Vector of the inverse temperatures for Metropolis-coupled MCMC (if mc3_or_marg = TRUE) or power posterior (if mc3_or_marg = FALSE)
mc3_or_marg	Boolean, is Metropolis-coupled MCMC to be used? Ignored if invts = c(1.0)
x_max	Scalar (default 100000), positive integer limit for computing the normalising constant

### Value

A list returned by `mcmc_pol`

---

obtain_u_set_mix1	<i>Obtain set of thresholds with high posterior density for the TZP-power-law mixture model</i>
-------------------	---

---

### Description

`obtain_u_set_mix1` computes the profile posterior density of the threshold  $u$ , and subsets the thresholds (and other parameter values) with high profile values i.e. within a certain value from the maximum posterior density. The set of  $u$  can then be used for `mcmc_mix1`.

### Usage

```
obtain_u_set_mix1(
  df,
  positive = FALSE,
  u_max = 2000L,
  log_diff_max = 11,
  alpha1_init = 0.01,
  theta1_init = exp(-1),
  alpha2_init = 2,
  a_psiu = 0.1,
  b_psiu = 0.9,
  m_alpha1 = 0,
  s_alpha1 = 10,
  a_theta1 = 1,
  b_theta1 = 1,
  m_alpha2 = 0,
  s_alpha2 = 10,
  x_max = 1e+05
)
```



**Arguments**

<code>df</code>	A data frame with at least two columns, <code>x</code> & <code>count</code>
<code>positive</code>	Boolean, is <code>alpha1</code> positive (TRUE) or unbounded (FALSE, default)?
<code>u_max</code>	Positive integer for the maximum threshold
<code>log_diff_max</code>	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - <code>log_diff_max</code> will be kept
<code>alpha1_init</code>	Scalar, initial value of <code>alpha1</code>
<code>theta1_init</code>	Scalar, initial value of <code>theta1</code>
<code>alpha2_init</code>	Scalar, initial value of <code>alpha2</code>
<code>a_psiu</code> , <code>b_psiu</code> , <code>m_alpha1</code> , <code>s_alpha1</code> , <code>a_theta1</code> , <code>b_theta1</code> , <code>m_alpha2</code> , <code>s_alpha2</code>	Scalars, hyperparameters of the priors for the parameters
<code>x_max</code>	Scalar (default 100000), positive integer limit for computing the normalising constant

**Value**

A list: `u_set` is the vector of thresholds with high posterior density, `init` is the data frame with the maximum profile posterior density and associated parameter values, `profile` is the data frame with all thresholds with high posterior density and associated parameter values, `scalars` is the data frame with all arguments (except `df`)

**See Also**

[mcmc\\_mix1\\_wrapper](#) that wraps `obtain_u_set_mix1` and `mcmc_mix1`, [obtain\\_u\\_set\\_mix2](#) for the equivalent function for the 2-component mixture model

---

<code>obtain_u_set_mix2</code>	<i>Obtain set of thresholds with high posterior density for the 2-component mixture model</i>
--------------------------------	---

---

**Description**

`obtain_u_set_mix2` computes the profile posterior density of the threshold `u`, and subsets the thresholds (and other parameter values) with high profile values i.e. within a certain value from the maximum posterior density. The set of `u` can then be used for [mcmc\\_mix2](#).

**Usage**

```
obtain_u_set_mix2(
  df,
  powerlaw = FALSE,
  positive = FALSE,
  u_max = 2000L,
```

```

log_diff_max = 11,
alpha_init = 0.01,
theta_init = exp(-1),
shape_init = 0.1,
sigma_init = 1,
a_psiu = 0.001,
b_psiu = 0.9,
m_alpha = 0,
s_alpha = 10,
a_theta = 1,
b_theta = 1,
m_shape = 0,
s_shape = 10,
a_sigma = 1,
b_sigma = 0.01
)

```

### Arguments

<code>df</code>	A data frame with at least two columns, <code>x</code> & <code>count</code>
<code>powerlaw</code>	Boolean, is the power law (TRUE) or polylogarithm (FALSE, default) assumed?
<code>positive</code>	Boolean, is alpha positive (TRUE) or unbounded (FALSE, default)?
<code>u_max</code>	Positive integer for the maximum threshold
<code>log_diff_max</code>	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - <code>log_diff_max</code> will be kept
<code>alpha_init</code>	Scalar, initial value of alpha
<code>theta_init</code>	Scalar, initial value of theta
<code>shape_init</code>	Scalar, initial value of shape parameter
<code>sigma_init</code>	Scalar, initial value of sigma
<code>a_psiu, b_psiu, m_alpha, s_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma</code>	Scalars, hyperparameters of the priors for the parameters

### Value

A list: `u_set` is the vector of thresholds with high posterior density, `init` is the data frame with the maximum profile posterior density and associated parameter values, `profile` is the data frame with all thresholds with high posterior density and associated parameter values, `scalars` is the data frame with all arguments (except `df`)

### See Also

[mcmc\\_mix2\\_wrapper](#) that wraps `obtain_u_set_mix2` and `mcmc_mix2`, [obtain\\_u\\_set\\_mix1](#) for the equivalent function for the TZP-power-law mixture model

---

 obtain\_u\_set\_mix2\_constrained

*Obtain set of thresholds with high posterior density for the constrained 2-component mixture model*

---

## Description

obtain\_u\_set\_mix2\_constrained computes the profile posterior density of the threshold  $u$ , and subsets the thresholds (and other parameter values) with high profile values i.e. within a certain value from the maximum posterior density. The set of  $u$  can then be used for `mcmc_mix2`. Power law is assumed for the body, and  $\alpha$  is assumed to be greater than 1.0 and smaller than  $1.0/\text{shape}+1.0$

## Usage

```
obtain_u_set_mix2_constrained(
  df,
  u_max = 2000L,
  log_diff_max = 11,
  alpha_init = 2,
  shape_init = 0.1,
  sigma_init = 1,
  a_psiu = 0.001,
  b_psiu = 0.9,
  m_alpha = 0,
  s_alpha = 10,
  a_theta = 1,
  b_theta = 1,
  m_shape = 0,
  s_shape = 10,
  a_sigma = 1,
  b_sigma = 0.01
)
```

## Arguments

<code>df</code>	A data frame with at least two columns, $x$ & count
<code>u_max</code>	Positive integer for the maximum threshold
<code>log_diff_max</code>	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - <code>log_diff_max</code> will be kept
<code>alpha_init</code>	Scalar, initial value of $\alpha$
<code>shape_init</code>	Scalar, initial value of shape parameter
<code>sigma_init</code>	Scalar, initial value of $\sigma$
<code>a_psiu, b_psiu, m_alpha, s_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma</code>	Scalars, hyperparameters of the priors for the parameters

**Value**

A list: `u_set` is the vector of thresholds with high posterior density, `init` is the data frame with the maximum profile posterior density and associated parameter values, `profile` is the data frame with all thresholds with high posterior density and associated parameter values, `scalars` is the data frame with all arguments (except `df`)

**See Also**

[obtain\\_u\\_set\\_mix2](#) for the unconstrained version

---

<code>obtain_u_set_mix3</code>	<i>Obtain set of thresholds with high posterior density for the 3-component mixture model</i>
--------------------------------	---

---

**Description**

`obtain_u_set_mix3` computes the profile posterior density of the thresholds `v` & `u`, and subsets the thresholds (and other parameter values) with high profile values i.e. within a certain value from the maximum posterior density. The sets of `v` & `u` can then be used for [mcmc\\_mix3](#).

**Usage**

```
obtain_u_set_mix3(
  df,
  powerlaw1 = FALSE,
  powerlaw2 = FALSE,
  positive1 = FALSE,
  positive2 = TRUE,
  log_diff_max = 11,
  v_max = 100L,
  u_max = 2000L,
  alpha_init = 0.01,
  theta_init = exp(-1),
  shape_init = 1,
  sigma_init = 1,
  a_psi1 = 1,
  a_psi2 = 1,
  a_psiu = 0.001,
  b_psiu = 0.9,
  m_alpha = 0,
  s_alpha = 10,
  a_theta = 1,
  b_theta = 1,
  m_shape = 0,
  s_shape = 10,
  a_sigma = 1,
  b_sigma = 0.01
)
```

**Arguments**

<code>df</code>	A data frame with at least two columns, degree & count
<code>powerlaw1</code>	Boolean, is the power law (TRUE) or polylogarithm (FALSE, default) assumed for the left tail?
<code>powerlaw2</code>	Boolean, is the power law (TRUE) or polylogarithm (FALSE, default) assumed for the middle bulk?
<code>positive1</code>	Boolean, is alpha positive (TRUE) or unbounded (FALSE, default) for the left tail?
<code>positive2</code>	Boolean, is alpha positive (TRUE) or unbounded (FALSE, default) for the middle bulk?
<code>log_diff_max</code>	Positive real number, the value such that thresholds with profile posterior density not less than the maximum posterior density - <code>log_diff_max</code> will be kept
<code>v_max</code>	Positive integer for the maximum lower threshold
<code>u_max</code>	Positive integer for the maximum upper threshold
<code>alpha_init</code>	Scalar, initial value of alpha
<code>theta_init</code>	Scalar, initial value of theta
<code>shape_init</code>	Scalar, initial value of shape parameter
<code>sigma_init</code>	Scalar, initial value of sigma
<code>a_psi1, a_psi2, a_psiu, b_psiu, m_alpha, s_alpha, a_theta, b_theta, m_shape, s_shape, a_sigma, b_sigma</code>	Scalars, hyperparameters of the priors for the parameters

**Value**

A list: `v_set` is the vector of lower thresholds with high posterior density, `u_set` is the vector of upper thresholds with high posterior density, `init` is the data frame with the maximum profile posterior density and associated parameter values, `profile` is the data frame with all thresholds with high posterior density and associated parameter values, `scalars` is the data frame with all arguments (except `df`)

**See Also**

[mcmc\\_mix3\\_wrapper](#) that wraps `obtain_u_set_mix3` and `mcmc_mix3`

---

Smix2

*Survival function of 2-component discrete extreme value mixture distribution*


---

**Description**

`Smix2` returns the survival function at `x` for the 2-component discrete extreme value mixture distribution. The components below and above the threshold `u` are the (truncated) Zipf-polylog( $\alpha, \theta$ ) and the generalised Pareto(shape, sigma) distributions, respectively.

**Usage**

```
Smix2(x, u, alpha, theta, shape, sigma, phiu)
```

**Arguments**

x	Vector of positive integers
u	Positive integer representing the threshold
alpha	Real number, first parameter of the Zipf-polylog component
theta	Real number in (0, 1], second parameter of the Zipf-polylog component
shape	Real number, shape parameter of the generalised Pareto component
sigma	Real number, scale parameter of the generalised Pareto component
phiu	Real number in (0, 1), exceedance rate of the threshold u

**Value**

A numeric vector of the same length as x

**See Also**

[dmix2](#) for the corresponding probability mass function, [Spol](#) and [Smix3](#) for the survival functions of the Zipf-polylog and 3-component discrete extreme value mixture distributions, respectively.

---

Smix3	<i>Survival function of 3-component discrete extreme value mixture distribution</i>
-------	---

---

**Description**

Smix3 returns the survival function at x for the 3-component discrete extreme value mixture distribution. The component below v is the (truncated) Zipf-polylog(alpha1,theta1) distribution, between v & u the (truncated) Zipf-polylog(alpha2,theta2) distribution, and above u the generalised Pareto(shape, sigma) distribution.

**Usage**

```
Smix3(x, v, u, alpha1, theta1, alpha2, theta2, shape, sigma, phi1, phi2, phiu)
```

**Arguments**

x	Vector of positive integers
v	Positive integer representing the lower threshold
u	Positive integer representing the upper threshold
alpha1	Real number, first parameter of the Zipf-polylog component below v
theta1	Real number in (0, 1], second parameter of the Zipf-polylog component below v

alpha2	Real number, first parameter of the Zipf-polylog component between v & u
theta2	Real number in (0, 1], second parameter of the Zipf-polylog component between v & u
shape	Real number, shape parameter of the generalised Pareto component
sigma	Real number, scale parameter of the generalised Pareto component
phi1	Real number in (0, 1), proportion of values below v
phi2	Real number in (0, 1), proportion of values between v & u
phiu	Real number in (0, 1), exceedance rate of the threshold u

**Value**

A numeric vector of the same length as x

**See Also**

[dmix3](#) for the corresponding probability mass function, [Spol](#) and [Smix2](#) for the survival functions of the Zipf-polylog and 2-component discrete extreme value mixture distributions, respectively.

---

Spol	<i>Survival function of Zipf-polylog distribution</i>
------	---

---

**Description**

Spol returns the survival function at x for the Zipf-polylog distribution with parameters (alpha, theta). The distribution is reduced to the discrete power law when theta = 1.

**Usage**

```
Spol(x, alpha, theta, x_max = 100000L)
```

**Arguments**

x	Vector of positive integers
alpha	Real number greater than 1
theta	Real number in (0, 1]
x_max	Scalar (default 100000), positive integer limit for computing the normalising constant

**Value**

A numeric vector of the same length as x

**See Also**

[dpol](#) for the corresponding probability mass function, [Smix2](#) and [Smix3](#) for the survival functions of the 2-component and 3-component discrete extreme value mixture distributions, respectively.

**Examples** $\text{Spol}(c(1,2,3,4,5), 1.2, 0.5)$



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